

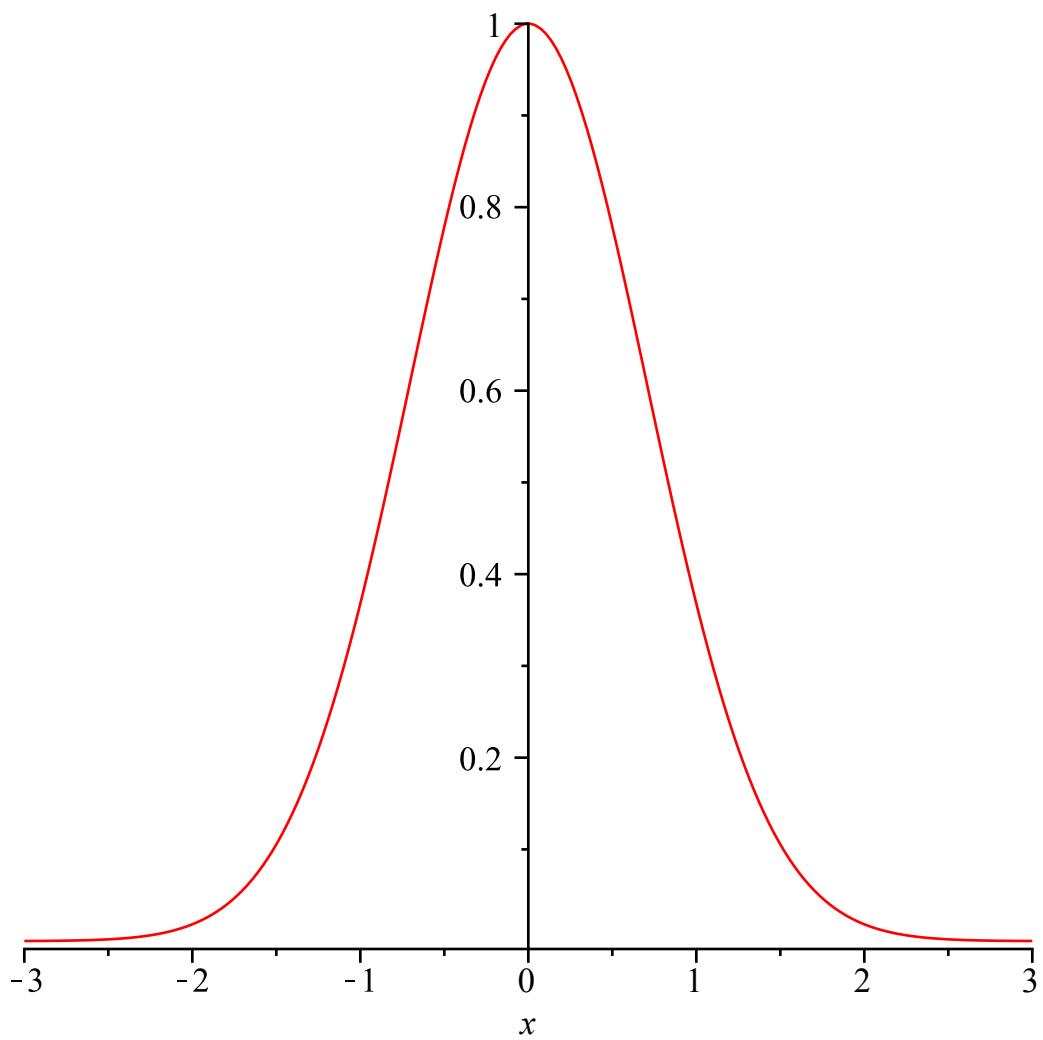
Testataufgabe SW3

Felix Rohrer

```
[> restart
```

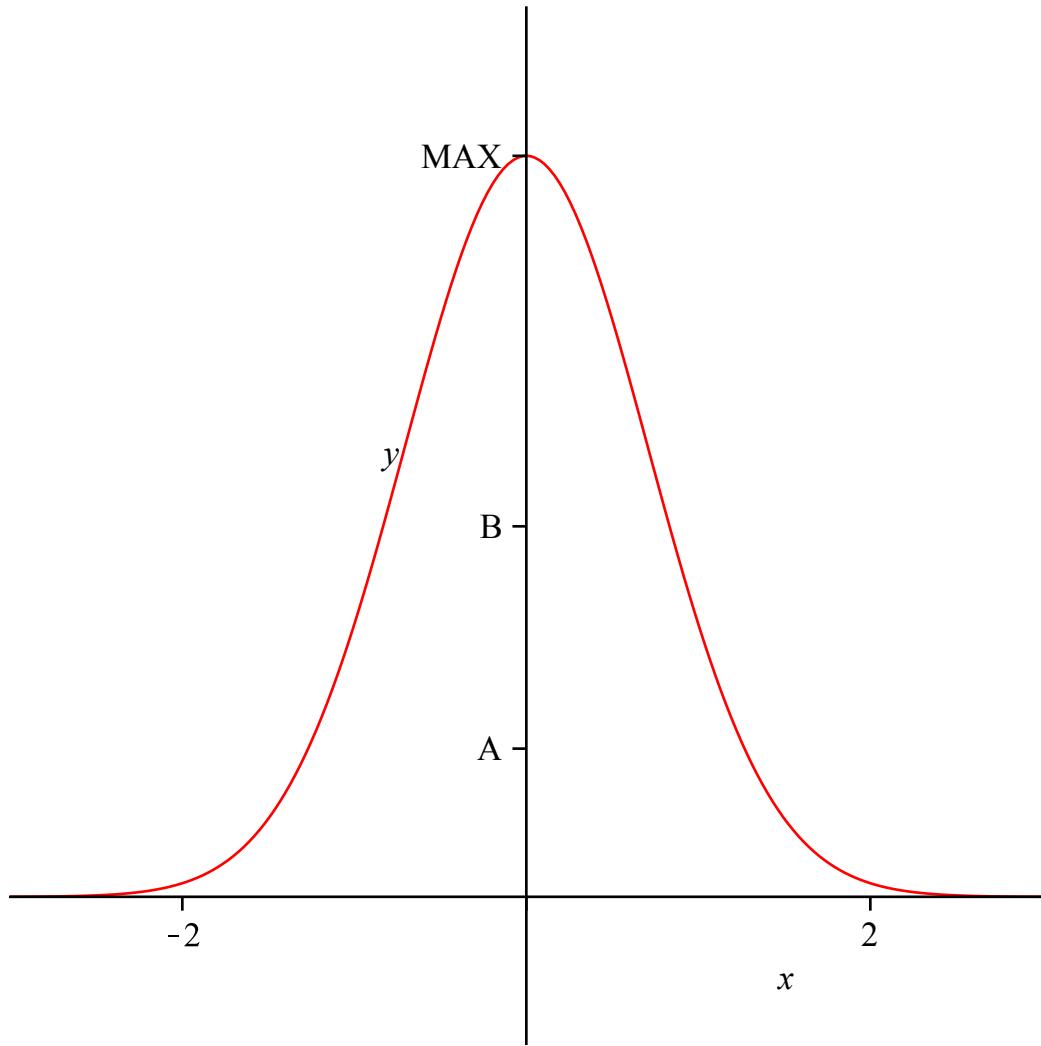
```
301)
```

```
> plot(exp(-x^2), x=-3..3)
```



302)

```
> plot(exp(-x^2), x=-3..3, y=-0.2..1.2, xtickmarks=3, ytickmarks=[0.2="A", 0.5="B", 1 = "MAX"])
```



303)

> $funktionen := \left[3 \cdot x^2 - 15x + 18, \frac{1}{(x-2)^2} \right]$

$funktionen := \left[3x^2 - 15x + 18, \frac{1}{(x-2)^2} \right]$

(1)

> $farbe := [red, blue]$

$farbe := [red, blue]$

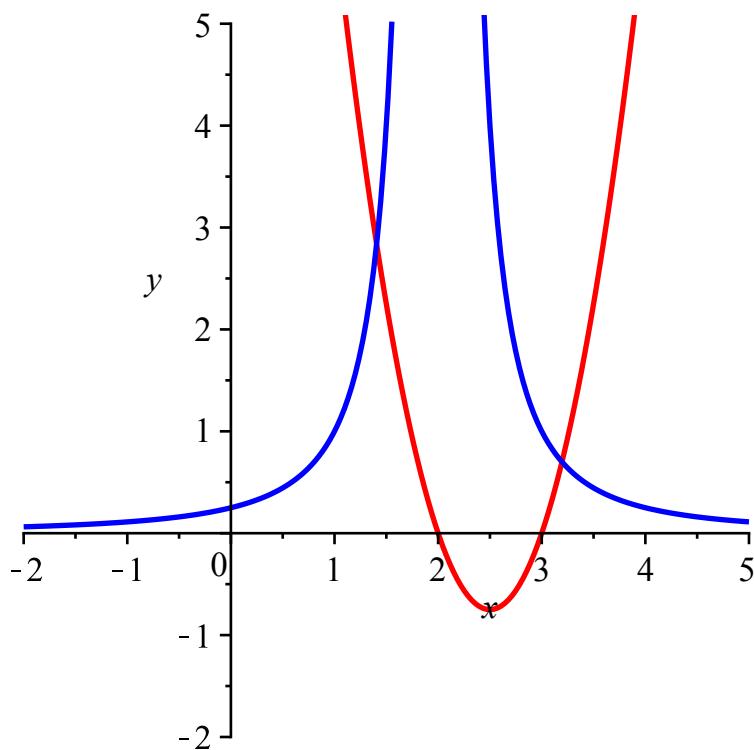
(2)

> $dicke := 2$

$dicke := 2$

(3)

> $plot(funktionen, x = -2 .. 5, y = -2 .. 5, color = farbe, thickness = dicke)$



304)

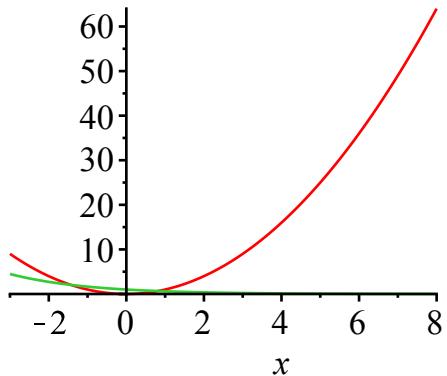
> restart

> funktionen := [x^2 , $\exp(-0.5 \cdot x)$]

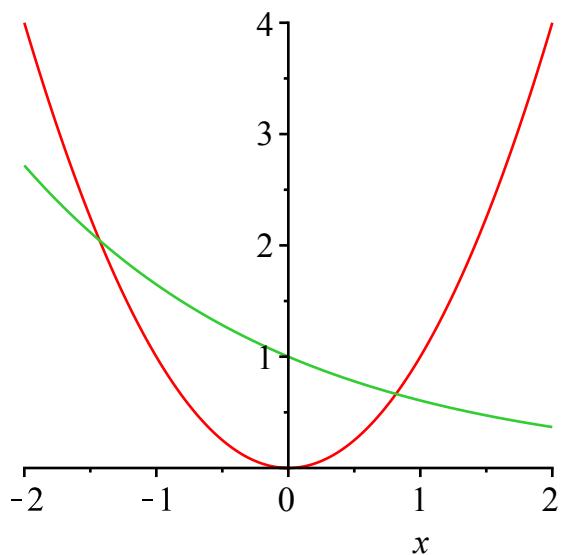
funktionen := [x^2 , $e^{-0.5x}$]

(4)

> plot(funktionen, x = -3 .. 8)



> plot(funktionen, x = -2 .. 2)

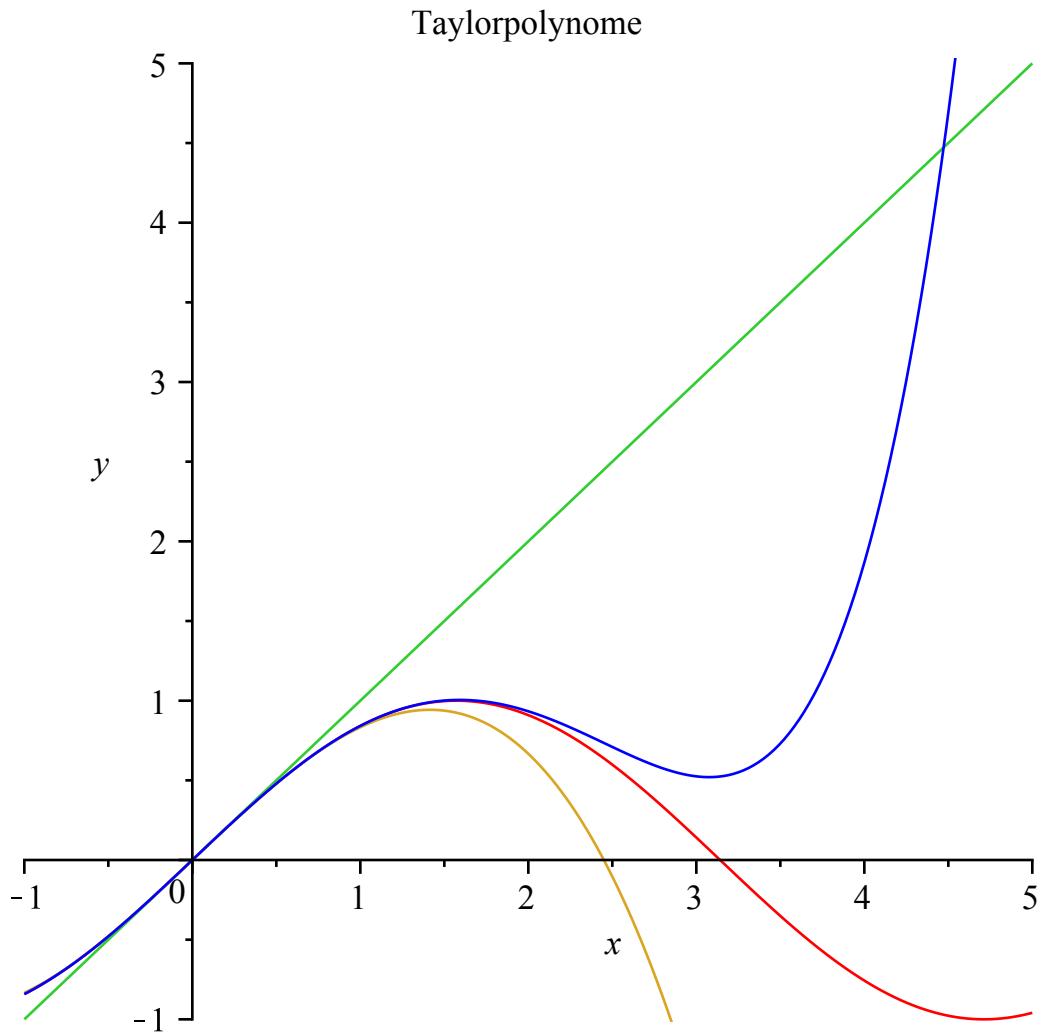


Lösungen: $x = -1.4$, $x = 0.8$

305)

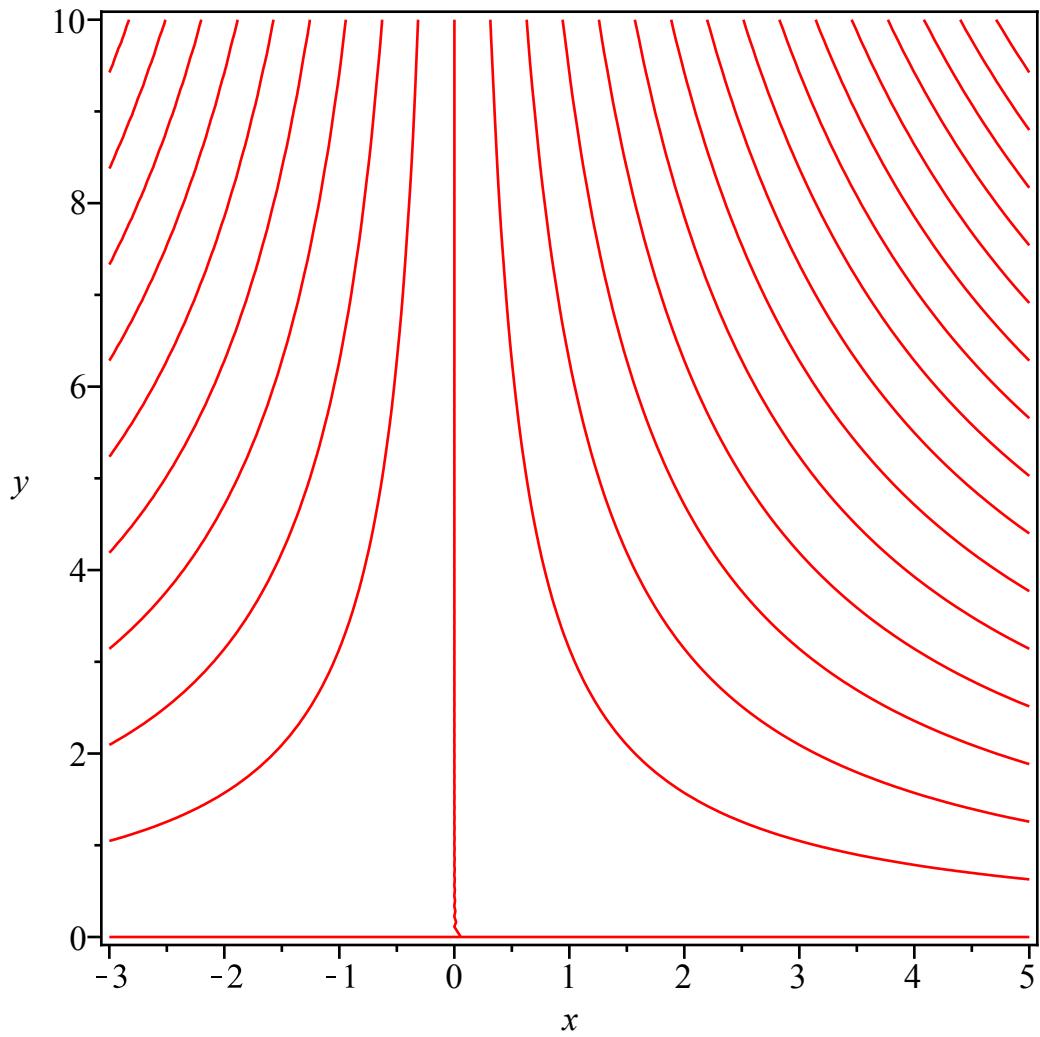
> $funktionen := \left[\sin(x), x, x - \frac{x^3}{6}, x - \frac{x^3}{6} + \frac{x^5}{120} \right]$
funktionen := $\left[\sin(x), x, x - \frac{1}{6}x^3, x - \frac{1}{6}x^3 + \frac{1}{120}x^5 \right]$ (5)

> $\text{plot}(funktionen, x = -1 .. 5, y = -1 .. 5, \text{title} = \text{"Taylorpolynome"})$



306)

```
> restart
> with(plots) :
> implicitplot(sin(x·y) = 0, x=-3 .. 5, y=0 ..10, grid = [ 90, 90 ], axes = boxed)
```



307)

> restart

> with(plots) :

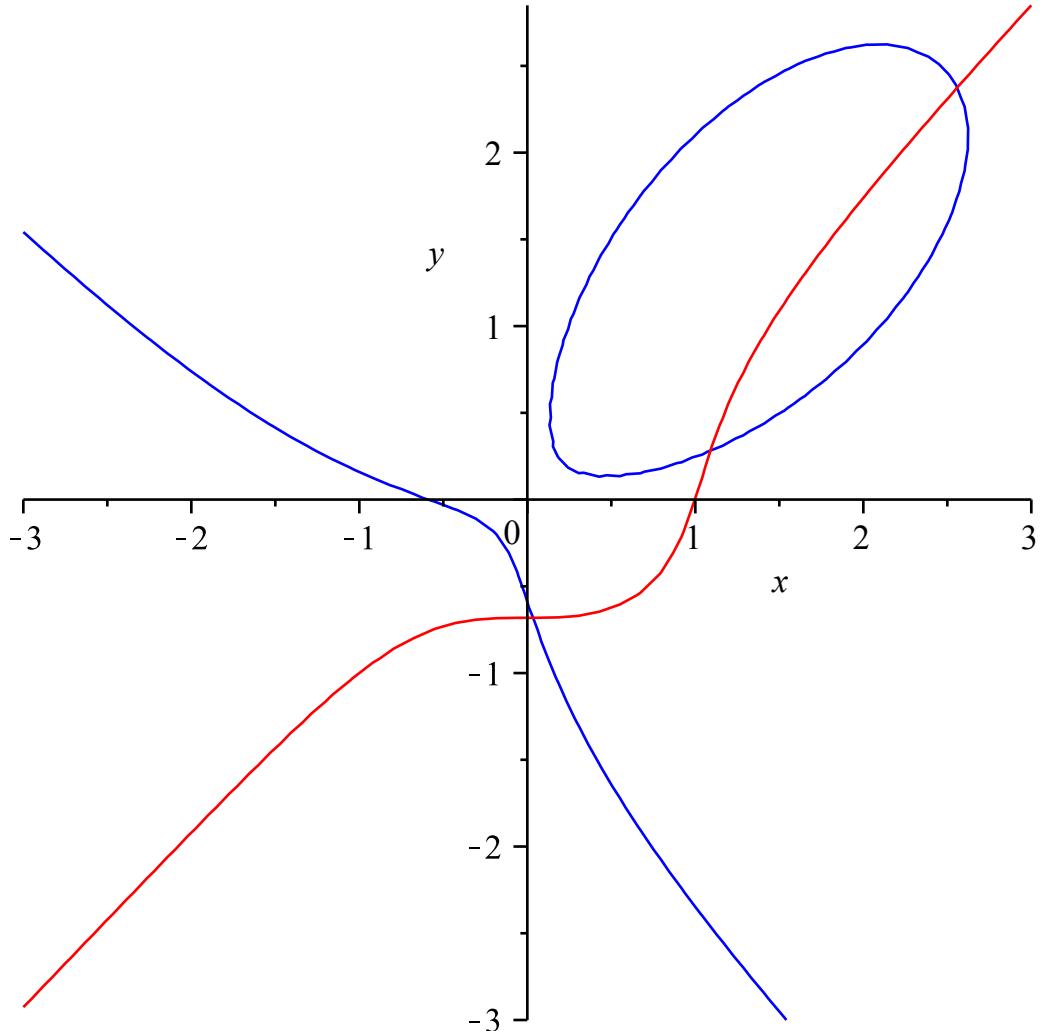
> fig1 := implicitplot($x^3 + y^3 - 5 \cdot x \cdot y + \frac{1}{5} = 0$, $x = -3 .. 3$, $y = -3 .. 3$, grid = [50, 50], color = blue)
fig1 := PLOT(...)

(6)

> fig2 := implicitplot($x^3 - y^3 - y = 1$, $x = -3 .. 3$, $y = -3 .. 3$, grid = [50, 50])
fig2 := PLOT(...)

(7)

> display(fig1, fig2)

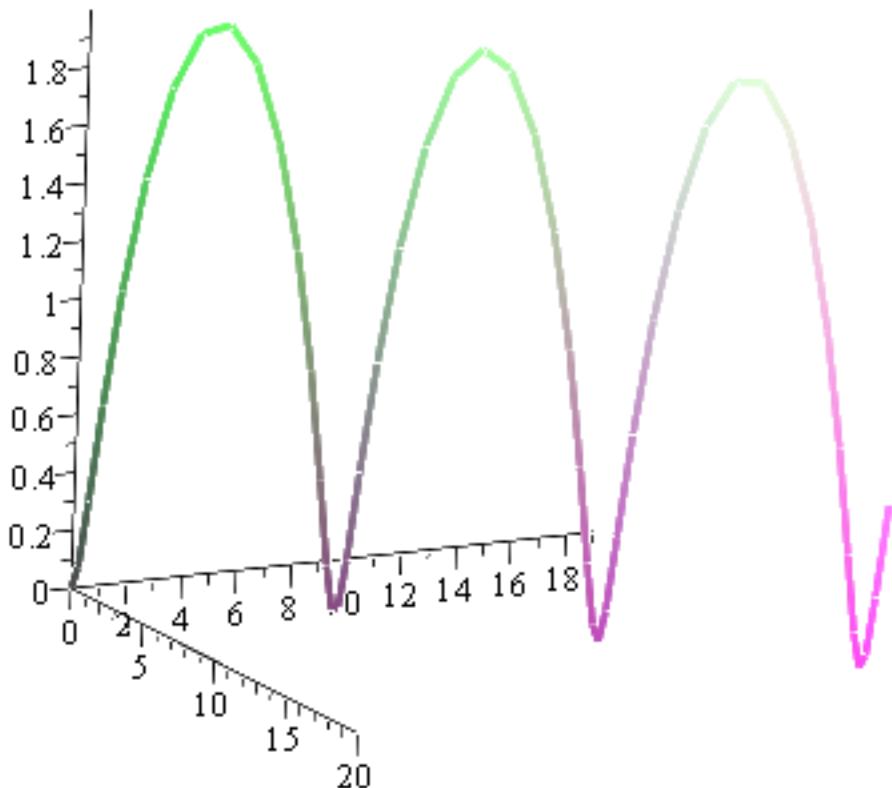


Lösungen: $x = 0.1$, $x = 1.1$, $x = 2.5$

308)

```
> restart  
> with(plots) :  
> funktion := t→[t-sin(t), 1-cos(t), t]  
          funktion := t→[t-sin(t), 1-cos(t), t]  
> spacecurve(funktion(t), t=0..20, axes=normal, thickness=3)
```

(8)



309)

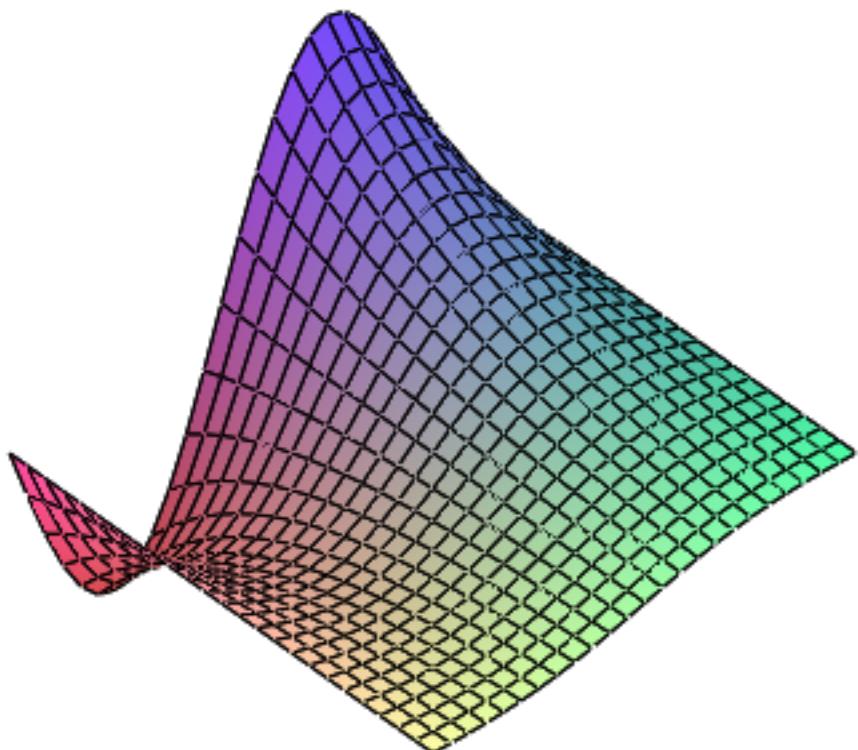
> restart

> funktion := $(x, y) \rightarrow \sin(x) \cdot \exp(-y)$

funktion := $(x, y) \rightarrow \sin(x) e^{-y}$

> plot3d(funktion(x, y), x = 0 .. 2 · Pi, y = 0 .. 3)

(9)



>